Measurement of the ${}^{2}H({}^{7}Be, {}^{6}Li){}^{3}He$ reaction rate and its contribution to the primordial lithium abundance *

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Abstract: In the standard Big Bang nucleosynthesis (SBBN) model, the lithium puzzle has attracted intense interest over the past few decades, but still has not been solved. Conventionally, the approach is to include more reactions flowing into or out of lithium, and study the potential effects of those reactions which were not previously considered. ⁷Be(d, ³He)⁶Li is a reaction that not only produces ⁶Li but also destroys ⁷Be, which decays to ⁷Li, thereby affecting ⁷Li indirectly. Therefore, this reaction could alleviate the lithium discrepancy if its reaction rate is sufficiently high. However, there is not much information available about the ⁷Be(d, ³He)⁶Li reaction rate. In this work, the angular distributions of the ⁷Be(d, ³He)⁶Li reaction are measured at the center of mass energies $E_{\rm cm} = 4.0$ MeV and 6.7 MeV with secondary ⁷Be beams for the first time. The excitation function of the ⁷Be(d, ³He)⁶Li reaction is first calculated with the computer code TALYS and then normalized to the experimental data, then its reaction rate is deduced. A SBBN network calculation is performed to investigate its influence on the ⁶Li and ⁷Li abundances. The results show that the ⁷Be(d, ³He)⁶Li reaction has a minimal effect on ⁶Li and ⁷Li because of its small reaction rate. Therefore, the ⁷Be(d, ³He)⁶Li reaction is ruled out by this experiment as a means of alleviating the lithium discrepancy.

Keywords: reaction rates, primordial lithium abundance, big bang nucleosynthesis, lithium puzzles

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1 Introduction

In 1982, the Spites found that lithium abundance in metal-poor stars appears to be a plateau, independent of metallicity and effective temperature, according to astronomical observations, and the mean value is about $\log \varepsilon_{\text{Li}} = 2.05 \pm 0.15$ dex [1] in the scale of $\log \varepsilon_{\text{H}} = 12$ dex. Later, the lithium plateau was confirmed by other works and new results are mainly between 2.0 and 2.3, which agree with the Spites value [2–9]. The lithium plateau observed in metal-poor stars must originate in Big Bang nucleosynthesis (BBN). With the development of observational technology, the abundances of ⁶Li and ⁷Li can be separated [9–13] and the ratio is about 5%, which means that the abundances of ⁶Li and ⁷Li are about $\log \varepsilon_{6_{\text{Li}}} \approx 0.8$ dex and $\log \varepsilon_{7_{\text{Li}}} \approx 2.1$ dex respectively. According to the standard BBN (SBBN) model,

the abundances of elements only depend on the baryonphoton ratio η . Using the precise value of $\eta = (6.203 \pm 0.137) \times 10^{-10}$ [14–16] determined by the Wilkinson Microwave Anisotropy Probe (WMAP), the abundances of ²H, ³He and ⁴He are successfully predicted within 1% error [17, 18]. However, the abundance of ⁷Li is predicted to be $\log \varepsilon_{7Li} \approx 2.6$ dex, about a factor of three higher than the observational value. Even worse, the abundance of ⁶Li is predicted to be $\log \varepsilon_{6Li} \approx -2.5$ dex, which is approximately three orders of magnitudes lower than the observationally determined value. These problems are called the lithium puzzle. They have attracted a lot of attention in astrophysics because this can help us to explore the conditions of the early universe and test various cosmological models [19].

The lithium puzzle is one of the most important issues in the field, and brings new challenges to astronomical

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observation and model calculation. To solve the problem, we need to improve both astronomical observations and model calculations [20, 21]. Hou et al. [22] modified the velocity distributions of nuclei during the BBN era and found excellent agreement between predicted and observed primordial abundance of ⁷Li, but did not provide any information about ⁶Li. From BBN calculations, we can try to include as many lithium-involving reactions as possible to study the potential effects of those reactions which were not considered previously. Even though attempts to resolve the discrepancies by using this conventional nuclear physics method have been unsuccessful over the past few decades, altering the reactions flowing into and out of lithium is still being proposed [23–25].

⁷Be is a neighbor nucleus of both ⁶Li and ⁷Li. Its abundance is about one order of magnitude higher than that of ⁷Li and four orders of magnitude higher than that of ⁶Li in the BBN era. The study of reactions involving ⁷Be may offer a profound understanding of the lithium puzzle. The ⁷Be(d, ³He)⁶Li reaction not only produces ⁶Li but also destroys ⁷Be, that decays to ⁷Li, and thereby affects ⁷Li indirectly. To date, however, there has been no experimental data for the ⁷Be(d, ³He)⁶Li reaction. Its effect on the ⁷Li and ⁶Li abundances was evaluated by using the ${}^{7}\text{Be}(d,p)2^{4}\text{He}$ reaction rate. If the unknown ⁷Be(d, ³He)⁶Li reaction rate is assumed to be the same as the ${}^{7}Be(d,p)2{}^{4}He$ reaction rate, SBBN calculations show that it results in a decrease or increase in abundance of about 1% for ⁷Li or ⁶Li, respectively. If the ⁷Be(d, ³He)⁶Li reaction rate is artificially multiplied by a factor of 100, the SBBN calculations show that ⁷Li decreases 45% and ⁶Li increases 47%. However, it remains to be investigated whether its reaction rate is sufficiently high to alleviate the lithium discrepancy.

In the present work, the angular distributions of the ${}^{7}\text{Be}(d, {}^{3}\text{He}){}^{6}\text{Li}$ reaction at center of mass energies $E_{\rm cm} = 4.0$ MeV and 6.7 MeV are measured separately for the first time by using the secondary beam facility of the HI-13 tandem accelerator at the China Institute of Atomic Energy (CIAE), Beijing. The integrated cross sections of the ${}^{7}\text{Be}(d, {}^{3}\text{He}){}^{6}\text{Li}$ reaction are obtained. With the nuclear reaction code TALYS [26], the excitation function is obtained. The reaction rate at energies of astrophysical interest is also deduced. To investigate the effect of ${}^{7}\text{Be}(d, {}^{3}\text{He}){}^{6}\text{Li}$ on the ${}^{6}\text{Li}$ and ${}^{7}\text{Li}$ abundances, SBBN network calculations are performed and the fluxes of the reactions connecting to ${}^{6}\text{Li}$ and ${}^{7}\text{Li}$ isotopes are compared.

2 Measurement of angular distributions

The experiment was carried out at the radioactive secondary beam facility [27] of the HI-13 tandem accelerator at the CIAE, Beijing. The experimental setup is similar to previous [28–30] experiments, as shown in Fig. 1. The 37 MeV and 46 MeV ⁷Li primary beams from the tandem accelerator impinged on a H_2 gas cell at 1.5 atm pressure, separately. The front and rear windows of the gas cell are Havar foils with thickness 1.9 mg/cm^2 . The ⁷Be ions were produced via the ${}^{1}H({}^{7}Li, {}^{7}Be)n$ reaction. After magnetic separation with a dipole and focusing with a quadruple doublet, the ⁷Be secondary beams were further purified by a Wien filter, and then delivered and collimated by two apertures of diameter 5 mm and 3 mm to limit the beam spot size. In order to monitor the beam purity and distinguish ⁷Be from contaminants for later gating, a 19.3 μ m-thick silicon ΔE_1 detector and a 23.0 μ m-thick silicon ΔE_2 detector were placed upstream of the secondary target. The typical primary ⁷Li beam intensity is about 70 pnA and the secondary ⁷Be beam intensity is approximately 5000 pps with a purity of 99%. As an example, a contour plot of the ΔE_1 vs ΔE_2 detectors is shown in Fig. 2. One can see that there are small amounts of ⁴He and ⁷Li contaminants which can be discriminated by the correlation data of the ΔE_1 and ΔE_2 detectors.



Fig. 1. Schematic layout of the experimental setup.



Fig. 2. (color online) Contour plot of ΔE_1 vs ΔE_2 at $E_{\rm lab}(^7 {\rm Li}) = 37$ MeV.



Fig. 3. (color online) ΔE vs E_r scatter plots of $(CD_2)_n$ target (black solid spots) and pure carbon target (red solid stars) at $E_{\rm cm} = 4.0$ MeV. For ³He ions (top panel), ΔE vs E_r was measured by the DSSSD and MSQ detectors. For ⁶Li ions (bottom panel), ΔE vs E_r was measured by the ΔE_3 and DSSD detectors and the MSQ detector was used as veto. The grey areas are the kinematics regions of the Monte Carlo simulations. The two-dimensional gates were used to obtain the ³He and ⁶Li ions based on the Monte Carlo simulations. For the bottom plot, there are too many events above $\Delta E > 7$ MeV, so for the sake of saving CPU time in dealing with the experimental data, some of those events are cut.

A 1.16 mg/cm² (CD₂)_n foil and a 1.69 mg/cm² pure carbon foil served as a secondary target to measure the ⁷Be(d, ³He)⁶Li reaction and to evaluate the background, respectively. The energies of ⁷Be ions at the middle of the $(CD_2)_n$ target were 17.7 MeV and 30.2 MeV, corresponding to the energies of 4.0 MeV and 6.7 MeV in the center of mass frame. After the secondary target, a 19.2 μ m-thick silicon ΔE_3 detector was placed at 22.5 mm downstream to perform particle identification and beam normalization. A 58 µm-thick double-sided silicon strip detector (DSSSD) and a 1001 μ m-thick quadrant silicon detector (MSQ) forming a $\Delta E - E_r$ counter telescope was placed 78.3 mm downstream of the secondary target to detect ⁶Li ions at $E_{\rm cm} = 6.7$ MeV and ³He ions at both $E_{\rm cm}$ = 4.0 MeV and 6.7 MeV. $^6{\rm Li}$ ions at $E_{\rm cm}$ = 4.0 MeV cannot penetrate the DSSSD detector, so the ΔE_3

and DSSSD detectors composing a ΔE vs $E_{\rm r}$ counter telescope was used to measure them. Here, ΔE is the energy measured by the transmission detector and $E_{\rm r}$ is the residual energy.

Both DSSSD and MSQ detectors are 50 mm \times 50 mm in size. The DSSSD is divided into 16 strips of 3 mm width on the front face, with 0.1 mm gaps, and 16 orthogonal strips with the same geometry on the back face, making up 256 pixels of 3 mm \times 3 mm each, to provide quasi-pixel two dimensional position information. Therefore, the DSSSD has a position resolution of 3 mm \times 3 mm, defined by the width of the micro-strips orthogonally oriented on both sides. The MSQ is a 2 \times 2 array of independent active area, separated by a 0.1 mm cross gap. Under the geometry shown in Fig. 1, such a detector configuration covers the laboratory angular range from 0° to 21.8°.

As examples, Fig. 3 and Fig. 4 show ΔE vs E_r scatter plots at $E_{\rm cm} = 4.0$ MeV and 6.7 MeV, respectively. The two-dimensional gates were drawn based on Monte Carlo simulation. The simulation took the beam spot size, geometrical factor, resolution of the detectors, angular and energy straggling effects in the target and detectors into account. After background subtraction and beam normalization, the angular distributions of the ⁷Be(d, ³He)⁶Li reaction were obtained as shown in Fig. 5. The forward angle data come from the measurement of ⁶Li ions and the backward angle data come from the measurement of ³He ions. The errors result from the uncertainty of target thickness (5%) and the statistics (10%– 67%, depending on angle).



Fig. 4. (color online) ΔE vs $E_{\rm r}$ scatter plots of $({\rm CD}_2)_{\rm n}$ target (black solid spots) and pure carbon target (red solid stars) at $E_{\rm cm} = 6.7$ MeV, ΔE vs $E_{\rm r}$ was measured by the DSSSD and MSQ detectors. The grey areas are the kinematics regions of the Monte Carlo simulations. The two-dimensional gates were used to obtain the ³He and ⁶Li ions based on the Monte Carlo simulations.



Fig. 5. (color online) Angular distributions of the $^{7}\text{Be}(d, {}^{3}\text{He})^{6}\text{Li}$ reaction at $E_{\rm cm} = 4.0$ MeV and $E_{\rm cm} = 6.7$ MeV. The black points with errors are the experimental cross sections, and the red dashed curves represent the DWBA calculations.

3 The astrophysical ⁷Be(d, ³He)⁶Li reaction rate

To deduce the total cross sections, the differential cross sections are simply connected and integrated to be $73.3\,\pm\,22.1$ mb and $73.1\,\pm\,15.8$ mb at $E_{\rm cm}$ = 4.0 MeV and $E_{\rm cm} = 6.7$ MeV, respectively. The ${}^7\text{Be}(d, {}^3\text{He}){}^6\text{Li}$ angular distributions are also reproduced by the distorted wave Born approximation (DWBA) method with the TWOFNR code [31] as shown in Fig. 5. The optical model potential (OMP) parameters with Woods-Saxon form are listed in Table 1. The proton spectroscopic factors of the p3/2 and p1/2 components in ⁷Be used in the DWBA calcualtions are 0.43 and 0.29 [32], respectively. Because of the low incident energy, the compound nuclear reaction mechanism is also considered in the DWBA calculations. Comparing with the linear fitting method, the integrated cross sections obtained by the DWBA method are increased by 10% at $E_{\rm cm} = 4.0$ MeV and decreased by less than 1% at $E_{\rm cm} = 6.7$ MeV.

The energies of the experiment are much higher than the required Gamow window data. To get the important Gamow window data, the excitation function was firstly calculated with the computer code TALYS [26] and then normalized to the experimental data points. The normalizing factor is 1.35. The pre-equilibrium contribution successfully used in other works [33] is considered in the TALYS calculation. The experimental data and the normalized excitation function are shown in Fig. 6.



Fig. 6. (color online) The excitation function of the ⁷Be(d, ³He)⁶Li reaction. The red points with errors represent the experimental data, and the black curve is the normalized excitation function.

The astrophysical reaction rate is calculated with

$$N_{\rm A} \langle \sigma \nu \rangle = N_{\rm A} \left(\frac{8}{\pi \mu}\right)^{1/2} \frac{1}{(k_{\rm B}T)^{3/2}} \\ \times \int_0^\infty \sigma(E) E \exp\left[-\frac{E}{k_{\rm B}T}\right] \mathrm{d}E, \qquad (1)$$

where ν is the relative velocity of ⁷Be and d, $\sigma(E)$ is the excitation function, μ is the reduced mass of the ⁷Be + d system, and $N_{\rm A}$ and $k_{\rm B}$ are the Avogadro and Boltzmann constants respectively. For convenience, the rate is fitted with the expression used in the astrophysical reaction rate library REACLIB [34],

$$N_{\rm A} \langle \sigma \nu \rangle = \exp[12.8885 - 4.37376 \ T_9^{-1} + 28.7918 \ T_9^{-\frac{1}{3}} - 29.9038 \ T_9^{\frac{1}{3}} + 0.647569 \ T_9 - 0.013777 \ T_9^{\frac{5}{3}} + 21.5953\ln(T_9)],$$
(2)

where T_9 is the temperature in units of GK. The overall fitting errors are less than 1% at temperatures from 0.05 to 50 GK.

Table 1. OMP parameters used in the DWBA calculations, from Ref. [35]. $E_{\rm cm}$ denotes the energy in MeV for the relevant channels, V and W are the depths in MeV, and r and a are the radius and diffuseness in fm.

channel	$E_{\rm cm}$	V	r_v	a_v	W	r_w	a_w	$W_{\rm s}$	$r_{\rm s}$	$a_{\rm s}$	$V_{\rm so}$	$r_{\rm so}$	$a_{\rm so}$	$r_{ m C}$
$d + {}^7Be$	4.0/6.7	95.7	1.05	0.86				59.6	1.43	0.55	3.5	0.75	0.50	1.30
3 He + 6 Li	3.9	150.9	1.20	0.72	39.8	1.40	0.88				2.5	1.20	0.72	1.30
3 He + 6 Li	6.6	150.2	1.20	0.72	38.4	1.40	0.88				2.5	1.20	0.72	1.30

4 BBN calculations

In the SBBN calculation, the dynamics of primordial nucleosynthesis is controlled by a cosmological parameter: the baryon-to-photon ratio η , which is precisely measured to be 6.203×10^{-10} [14] by WMAP. The neutron lifetime of $t_{1/2} = 613.9$ s [36] is adopted in our calculation. The reaction network used in the SBBN calculation involves 34 reactions with nuclei of $A \leq 7$. The calculation begins at a temperature of $T_9 = 50$, at which the abundances of the nuclei are fixed by statistical equilibrium.

The reaction network calculation was performed with a modified code from Wagoner's computational routines [37]. For the reaction $N_i({}^{A_i}Z_i) + N_j({}^{A_j}Z_j) \longleftrightarrow N_k({}^{A_k}Z_k) + N_l({}^{A_l}Z_l)$, the reaction net flux of nucleus *i* can be calculated by

$$\int_{t_1}^{t_2} \frac{\mathrm{d}Y_i}{\mathrm{d}t} \mathrm{d}t = \int_{t_1}^{t_2} \left(-\frac{\mathrm{d}Y_{i\to k}}{\mathrm{d}t} + \frac{\mathrm{d}Y_{k\to i}}{\mathrm{d}t} \right) \mathrm{d}t$$
$$= \int_{t_1}^{t_2} N_i \left(-\frac{Y_i^{N_i} Y_j^{N_j}}{N_i! N_j!} [ij]_k + \frac{Y_l^{N_l} Y_k^{N_k}}{N_l! N_k!} [lk]_i \right) \mathrm{d}t.$$
(3)

where Y_i is the mole fraction of nucleus i, N_i is the number of such nuclei involved in this reaction, $[ij]_k = (\rho_{\rm b}N_{\rm A})^{N_i+N_j-1} \langle ij \rangle$, $\rho_{\rm b}$ is the baryon density and $\langle ij \rangle$ represents the reaction rate between i and j. In case of decay, N_j and N_l will be zero. The reaction forward flow is defined by $\frac{\mathrm{d}Y_{i\rightarrow k}}{\mathrm{d}t} = N_i \frac{Y_i^{N_i}Y_j^{N_j}}{N_i!N_j!} [ij]_k$, which decreases

the abundance of nucleus *i*. $\frac{dY_{k \to i}}{dt} = N_i \frac{Y_k^{N_l} Y_k^{N_k}}{N_l! N_k!} [lk]_i$ is the reaction backward flow, which increases the abundance of nucleus *i*. The reaction forward and backward flux are the time-integrated reaction forward and backward flow, respectively.

The reaction network and the calculated reaction net fluxes are shown in Fig. 7, where the reaction fluxes are presented by the thickness and type of lines. The reaction fluxes responsible for ⁶Li, ⁷Li and ⁷Be are also listed in Table 2. One can see that the ⁷Be(d, ³He)⁶Li reaction net flux is the smallest.



Fig. 7. (color online) The reaction network and the calculated reaction net fluxes.

Table 2. The calculated forward, backward and net fluxes involving ${}^{6}Li$, ${}^{7}Li$ and ${}^{7}Be$ in the present network. The unit of the fluxes is $g^{-1}mol$.

reaction	net flux	forward flux	backward flux	Ref.
$^{2}\mathrm{H}(\alpha,\gamma)^{6}\mathrm{Li}$	1.39×10^{-10}	1.39×10^{-10}	3.13×10^{-13}	[38]
$^{3}\mathrm{H}(\alpha,\gamma)^{7}\mathrm{Li}$	8.17×10^{-09}	8.18×10^{-09}	9.13×10^{-12}	[39]
$^{3}\mathrm{He}(\alpha,\gamma)^{7}\mathrm{Be}$	7.17×10^{-11}	7.94×10^{-11}	7.70×10^{-12}	[39]
$^{6}\mathrm{Li}(n,\gamma)^{7}\mathrm{Li}$	$1.97{ imes}10^{-14}$	1.97×10^{-14}	4.85×10^{-31}	[40]
$^{6}\mathrm{Li}(n,\alpha)^{3}\mathrm{H}$	7.94×10^{-11}	7.94×10^{-11}	2.49×10^{-26}	[41]
$^{6}\mathrm{Li}(\mathrm{p},\gamma)^{7}\mathrm{Be}$	1.11×10^{-15}	1.35×10^{-15}	2.41×10^{-16}	[42]
$^{6}\mathrm{Li}(\mathrm{p},\alpha)^{3}\mathrm{He}$	5.83×10^{-11}	5.83×10^{-11}	7.49×10^{-27}	[43]
$^{6}\mathrm{Li}(\mathrm{d},\mathrm{n})^{7}\mathrm{Be}$	7.26×10^{-13}	7.26×10^{-13}	2.52×10^{-18}	[44]
6 Li(d, p) 7 Li	7.26×10^{-13}	7.26×10^{-13}	2.24×10^{-18}	[44]
$^{7}\mathrm{Li}(\mathrm{p},\alpha)^{4}\mathrm{He}$	7.49×10^{-09}	7.49×10^{-09}	0.00	[39]
$^{7}\mathrm{Li}(\mathrm{d,n})2^{4}\mathrm{He}$	7.50×10^{-10}	7.50×10^{-10}	0.00	[41]
$^7\mathrm{Be} \to ^7\mathrm{Li}$	1.13×10^{-13}	1.13×10^{-13}	0.00	[36]
$^7\mathrm{Be}(\mathrm{n,\ p})^7\mathrm{Li}$	6.39×10^{-11}	6.39×10^{-11}	7.74×10^{-15}	[39]
$^7\mathrm{Be}(\mathrm{n},\alpha)^4\mathrm{He}$	1.85×10^{-12}	1.85×10^{-12}	1.40×10^{-45}	[41]
$^7Be(d, p)2^4He$	3.38×10^{-13}	3.38×10^{-13}	0.00	[41]
$^{7}\mathrm{Be}(\mathrm{d},^{3}\mathrm{He})^{6}\mathrm{Li}$	1.11×10^{-17}	1.11×10^{-17}	1.52×10^{-20}	present

Comparing ⁷Be(d, ³He)⁶Li with ⁷Be(d, p)2⁴He, both of their reverse reactions can be neglected, and the ratio of their reaction flows is equal to the ratio of their reaction rates. Their reaction rates are shown in Fig. 8 together with their flows. The reaction rate of ⁷Be(d, ³He)⁶Li is much smaller than that of ⁷Be(d, p)2⁴He, and therefore the role of the former in reducing the primordial ⁷Li abundance is less than that of the latter. As discussed in the introduction, if the ⁷Be(d, ³He)⁶Li reaction rate is the same as the ⁷Be(d, p)2⁴He reaction rate, it can affect the abundances of ⁷Li and ⁶Li by about 1%. Our experiment shows that the reaction rate of ⁷Be(d, ³He)⁶Li is much smaller than that of ⁷Be(d, p)2⁴He. Therefore, the ⁷Be(d, ³He)⁶Li reaction affects the abundances of ⁷Li and ⁶Li much less than 1%.



Fig. 8. The ⁷Be(d, ³He)⁶Li and ⁷Be(d, p)2⁴He [41] reaction rates and flows for temperatures of 0.05 - 50 GK.

The flows creating and destroying ⁶Li are compared and shown in Fig. 9, where the black solid line and blue dashed line indicate the reactions creating ⁶Li, while the others are the reactions destroying it. There are only two reactions, ${}^{2}H(\alpha, \gamma){}^{6}Li$ and ${}^{7}Be(d, {}^{3}He){}^{6}Li$, creating ⁶Li. While the flow of the ⁷Be(d, ³He)⁶Li reaction is much smaller than that of ${}^{2}H(\alpha, \gamma){}^{6}Li$, the difference in the fluxes is about 7 orders of magnitude. There are six reactions responsible for destroying ⁶Li, among which ${}^{6}\text{Li}(n, \alpha){}^{3}\text{H}$ and ${}^{6}\text{Li}(p, \alpha){}^{3}\text{H}e$ are the two main reactions. At higher temperatures, ${}^{6}Li(n, \alpha){}^{3}H$ is more important than ${}^{6}\text{Li}(p, \alpha){}^{3}\text{He}$ because of its higher reaction rate. At lower temperatures, there are few neutrons left because of its decay, and therefore the flow of the ${}^{6}\text{Li}(p, \alpha){}^{3}\text{He}$ reaction is bigger than that of ${}^{6}Li(n, \alpha){}^{3}H$. The contributions of the ${}^{6}Li(d, p){}^{7}Li$ and ${}^{6}Li(d, n){}^{7}Be$ reactions are the same, because identical reaction rates are adopted. Their total contribution is about 1%. The contributions of the ${}^{6}\text{Li}(n, \gamma){}^{7}\text{Li}$ and ${}^{6}\text{Li}(p, \gamma){}^{7}\text{Be}$ reactions are less than one thousandth, which can be neglected.



Fig. 9. (color online) Flows of the reactions which create or destroy ⁶Li. The black solid line and blue dashed line indicate the reactions creating ⁶Li, while the others are the reactions destroying it.

5 Conclusions

The angular distributions of the ${}^{2}\text{H}({}^{7}\text{Be}, {}^{6}\text{Li}){}^{3}\text{He}$ reaction were measured with secondary ${}^{7}\text{Be}$ beams of energy 30.2 MeV and 17.7 MeV for the first time. The integrated cross sections are found to be 73.3 \pm 22.1 mb and 73.1 \pm 15.8 mb at $E_{\rm cm} = 4.0$ MeV and 6.7 MeV, respectively. The excitation function of the ${}^{7}\text{Be}(\text{d}, {}^{3}\text{He}){}^{6}\text{Li}$ reaction was determined by normalizing the TALYS calculation with the experimental cross sections, and then its reaction rate was deduced.

To investigate the effect of the ⁷Be(d, ³He)⁶Li reaction on the ⁶Li and ⁷Li abundances, SBBN network calculations were performed. The results show that the ⁷Be(d, ³He)⁶Li reaction has a minimal effect on the abundances of ⁶Li and ⁷Li compared with other larger net fluxes such as ²H(α , γ)⁶Li, ⁷Be(n, p)⁷Li and ⁷Be(d, p)2⁴He etc. Therefore, the ⁷Be(d, ³He)⁶Li reaction is generally ruled out by this experiment as a possible reaction path to alleviate the lithium discrepancy, because of its small reaction rate. The effective temperature of the ⁷Be(d, ³He)⁶Li reaction is under 10⁹ K and the Gamow window will be below 0.3 MeV. If there is a resonance state between 16.8 and 16.5 MeV in ⁹B, the reaction rate of the ⁷Be(d, ³He)⁶Li reaction could be increased greatly, but at present, no such state has been found [45].

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